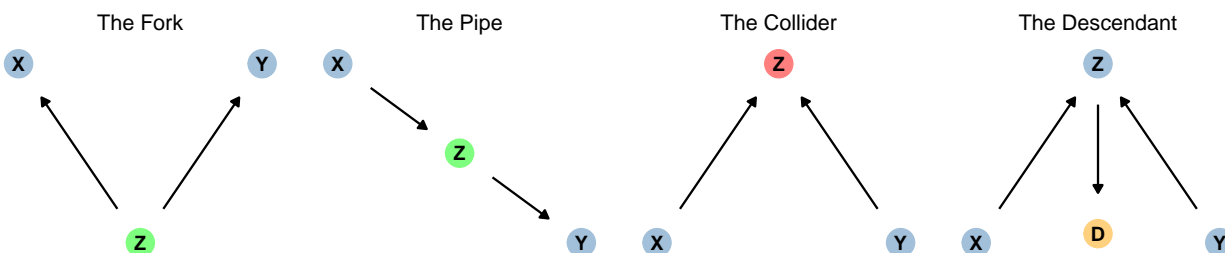


The Four Elemental Confounds

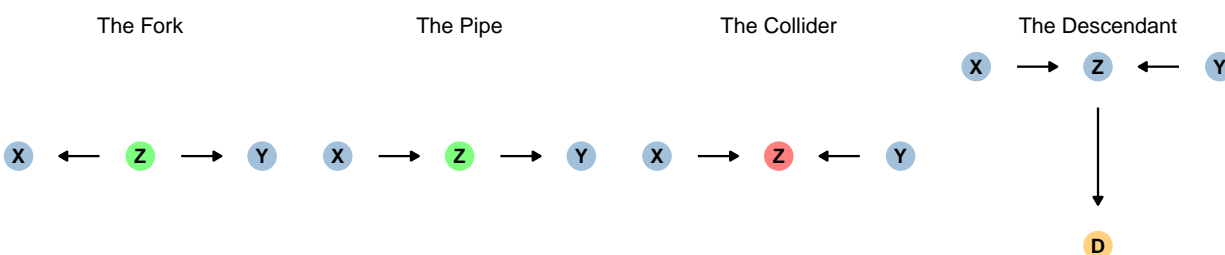
Here are the representations for our four types of variable relations: the fork, pipe, collider, and descendant.

The four elemental confounds



Since we will be thinking about these *along a path*, we might prefer to look at them like this.

The four elemental confounds



Each node on a path is either a fork, a pipe, or a collider. (Note: this status depends on the path; the same node may play different roles on different paths.)

Opening and closing paths

Our goal is to have all backdoor paths closed.

1. Fork

- Example: Growth \leftarrow Moisture \rightarrow Fungus
- This is the “common cause” confound.
- $X \perp\!\!\!\perp Y \mid Z$
- Conditioning on Z blocks the path (of information) between X and Y .

2. Pipe

- Example: Treatment \rightarrow Fungus \rightarrow Growth
- This is the “mediated effect” confound.
- $X \perp\!\!\!\perp Y \mid Z$
- Conditioning on Z blocks the path (of information) between X and Y .

3. Collider

- Example: Trustworthy \rightarrow Selection \leftarrow Newsworthy
- This is the “common effect” confound.
- $X \not\perp\!\!\!\perp Y \mid Z$
- Conditioning on Z opens the path (of information) between X and Y .

4. Descendant

- Conditioning on a descendant is like a weak version of conditioning on its parent.
- D can be used as a proxy for Z .

The recipe (page 185)

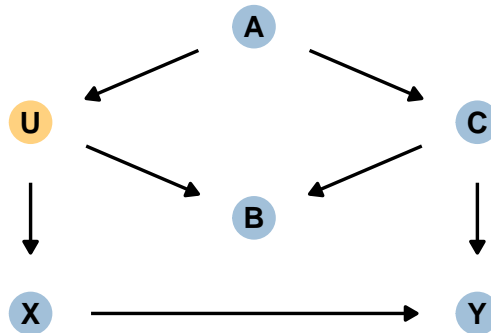
The recipe given in *Statistical Rethinking* is a little bit imprecise. Here's a modified version:

1. **List all paths** connecting X (the potential cause of interest – the eXposure) and Y (the outcome).
2. Classify each path as **causal** or **backdoor** (non-causal)
 - A backdoor (or non-causal) path = at least one arrow followed “backwards”
 - Causal path = a path that follows all the arrows “forwards”
3. Classify each backdoor path by whether it is **open or closed**.
 - open = no collider on path
 - closed = collider on path
4. **Close any open backdoor paths** (if possible) by conditioning on one or more variables **without closing any causal paths**.
 - Rule 1: Conditioning on any non-collider blocks/closes a path. [green]
 - Rule 2: Not conditioning on any collider blocks/closes a path. [red]
 - Rule 3: Conditioning on all colliders and on no non-colliders opens a path.
 - Rule 4: Conditioning on a descendant of a collider (partially) conditions on the collider. [orange]

So Rules 2 and 3 need a little updating to be completely correct. We need to avoid conditioning on colliders and all of their descendants to close a path.

Example: Two roads

“The DAG below contains an exposure of interest X , an outcome of interest Y , an unobserved variable U , and three observed covariates (A , B , and C)” (p. 186).



In this DAG, there are two backdoor paths from X to Y

- $X \leftarrow U \leftarrow A \rightarrow C \rightarrow Y$, which is open; and
- $X \leftarrow U \rightarrow B \leftarrow C \rightarrow Y$, which is closed.

Conditioning on either C or A will close the open backdoor.

```
dag_6.1 <-  
  dagitty("dag { U [unobserved]  
  X -> Y; X <- U <- A -> C -> Y; U -> B <- C }" )  
  
adjustmentSets(dag_6.1, exposure = "X", outcome = "Y")  
  
## { C }  
## { A }
```

More Practice

In each example below a possible causal influence is indicated. Determine which variables in the DAG should be included in your model to estimate this causal influence. Do this by following our recipe:

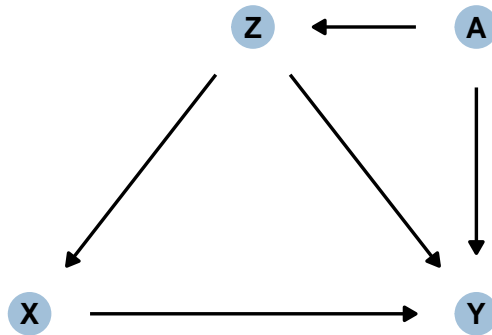
- List all backdoor paths between the indicated variables;
- For each backdoor path, determine whether it is open or closed;
- Choose variables to condition on that close all backdoor paths without closing any causal paths.

Any nodes in orange are unobserved. If possible, avoid conditioning on unobserved variables.

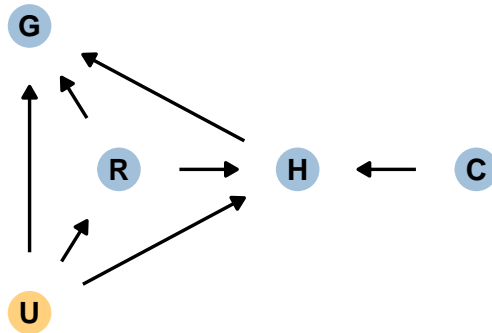
Note: You can check your work by creating the DAG with `dagitty()` or `dagify()` and using `adjustmentSets()`.

1.

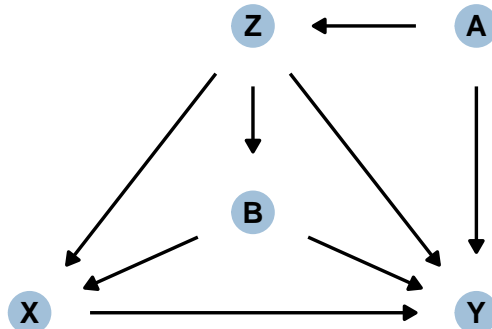
- $X \rightarrow Y$
- $Z \rightarrow Y$



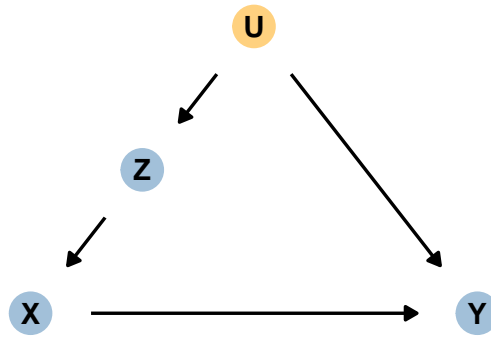
2. $R \rightarrow G$



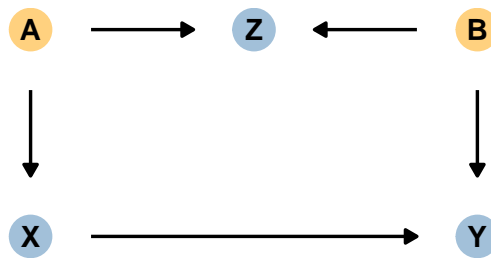
3. $X \rightarrow Y$



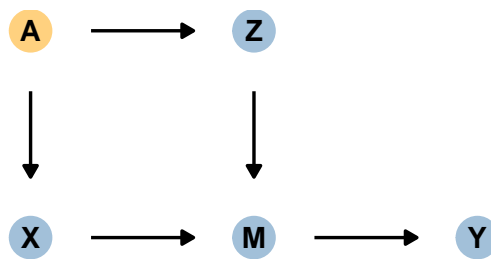
4. $X \rightarrow Y$



5. $X \rightarrow Y$



6. $X \rightarrow Y$



7. $X \rightarrow Y$

