# Introduction to Stan Math 341 2019-03-22

# Stan Example

### Describing the model

```
data {
    int<lower=0> N; // N is a non-negative integer
    int y[N]; // y is a length-N vector of integers
}
parameters {
    real<lower=0,upper=1> theta; // theta is between 0 and 1
}
model {
    theta ~ beta (1,1);
    y ~ bernoulli(theta);
}
```

The chunk header for the chunk above looks like this:

```
{stan output.var = "simple_stan", cache = TRUE}
```

\* `stan`: This is a Stan model, not R code.

\* `output.var`: Name of R object for storing the stan DSO.

\* `cache = TRUE`: Don't recompile this unless something changes.

#### Exercises 1 and 2

- 1. Identify as many differences as you can between this Stan code and the corresponding JAGS code.
- 2. What is this model? Draw a model diagram for this model. What sort of data must you provide?

#### Generating posterior samples

```
simple_stanfit <-
sampling(
simple_stan,
data = list(
    N = 50,
    y = c(rep(1, 15), rep(0, 35))
),
chains = 3,  # default is 4
iter = 1000,  # default is 2000
warmup = 200  # default is half of iter
)</pre>
```

## Exercise 3

This looks pretty similar to jags(), but it isn't identical. List as many differences as you can.

```
Here's just a portion of what is produced.
SAMPLING FOR MODEL 'stan-126b674f2d49f' NOW (CHAIN 1).
Chain 1:
Chain 1: Gradient evaluation took 1.7e-05 seconds
Chain 1: 1000 transitions using 10 leapfrog steps per transition would take 0.17 seconds.
Chain 1: Adjust your expectations accordingly!
Chain 1:
Chain 1:
         Elapsed Time: 0.006157 seconds (Warm-up)
Chain 1:
                        0.021385 seconds (Sampling)
Chain 1:
                        0.027542 seconds (Total)
simple_stanfit
## Inference for Stan model: 83dbe9f99dbf55ff04494fdddf566a3d.
## 3 chains, each with iter=1000; warmup=200; thin=1;
## post-warmup draws per chain=800, total post-warmup draws=2400.
##
##
           mean se mean
                          sd
                               2.5%
                                        25%
                                               50%
                                                      75% 97.5% n eff Rhat
                   0.00 0.07
                                      0.26
                                              0.30
## theta
           0.31
                               0.19
                                                     0.35
                                                            0.45
                                                                   838
                                                                           1
## lp__
        -32.63
                   0.02 0.74 -34.77 -32.78 -32.34 -32.15 -32.10
                                                                  1279
                                                                           1
##
## Samples were drawn using NUTS(diag_e) at Fri Mar 22 11:48:36 2019.
## For each parameter, n_eff is a crude measure of effective sample size,
## and Rhat is the potential scale reduction factor on split chains (at
## convergence, Rhat=1).
```

Running sampling() produces a lot of output (hidden here with results = "hide" in the R chunk header).

# Now what?

- Use CalvinBayes::posterior() to create a dataframe with posterior samples. These can be plotted or explored using ggformula or other familiar tools.
- Use as.matrix() or as.mcmc.list() to create an object that can be used with bayesplot just as we did when we used JAGS.

```
gf_dens(~theta, data = posterior(simple_stanfit))
mcmc_areas(as.mcmc.list(simple_stanfit), prob = 0.9, pars = "theta")
mcmc_trace(as.matrix(simple_stanfit))
```

